

Mark Scheme (Final)

October 2019

Pearson Edexcel International Advanced Level In Statistics S1 (WST01/01)

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# **General Marking Guidance**

- All candidates must receive the same treatment. Examiners must mark the first candidate in exactly the same way as they mark the last.
- Mark schemes should be applied positively.
   Candidates must be rewarded for what they have shown they can do rather than penalised for omissions.
- Examiners should mark according to the mark scheme not according to their perception of where the grade boundaries may lie.
- There is no ceiling on achievement. All marks on the mark scheme should be used appropriately.
- All the marks on the mark scheme are designed to be awarded. Examiners should always award full marks if deserved, i.e. if the answer matches the mark scheme. Examiners should also be prepared to award zero marks if the candidate's response is not worthy of credit according to the mark scheme.
- Where some judgement is required, mark schemes will provide the principles by which marks will be awarded and exemplification may be limited.
- When examiners are in doubt regarding the application of the mark scheme to a candidate's response, the team leader must be consulted.
- Crossed out work should be marked UNLESS the candidate has replaced it with an alternative response.

#### PEARSON EDEXCEL IAL MATHEMATICS

# **General Instructions for Marking**

- 1. The total number of marks for the paper is 75
- 2. The Edexcel Mathematics mark schemes use the following types of marks:
- M marks: Method marks are awarded for 'knowing a method and attempting to apply it', unless otherwise indicated.
- A marks: Accuracy marks can only be awarded if the relevant method (M) marks have been earned.
- **B** marks are unconditional accuracy marks (independent of M marks)
- Marks should not be subdivided.

#### 3. Abbreviations

These are some of the traditional marking abbreviations that will appear in the mark schemes.

- bod benefit of doubt
- ft follow through
- the symbol  $\sqrt{}$  will be used for correct ft
- cao correct answer only
- cso correct solution only. There must be no errors in this part of the question to obtain this mark
- isw ignore subsequent working
- awrt answers which round to
- SC: special case
- oe or equivalent (and appropriate)
- d... or dep dependent
- indep independent
- dp decimal places
- sf significant figures
- \* The answer is printed on the paper or ag- answer given
- Cord... The second mark is dependent on gaining the first mark

- 4. All A marks are 'correct answer only' (cao.), unless shown, for example, as A1 ft to indicate that previous wrong working is to be followed through. After a misread however, the subsequent A marks affected are treated as A ft, but manifestly absurd answers should never be awarded A marks.
- 5. For misreading which does not alter the character of a question or materially simplify it, deduct two from any A or B marks gained, in that part of the question affected.
- 6. Ignore wrong working or incorrect statements following a correct answer.

## Special notes for marking Statistics exams (for AAs only)

- If a method leads to "probabilities" which are greater than 1 or less than 0 then M0 should be awarded unless the mark scheme specifies otherwise.
- Any correct method should gain credit. If you cannot see how to apply the mark scheme but believe the method to be correct then please send to review.
- For method marks, we generally allow or condone a slip or transcription error if these are seen in an expression. We do not, however, condone or allow these errors in accuracy marks.
- If a candidate gives multiple solutions we mark the last complete solution. If in doubt send to review.

Question Number	Scheme						
1(a)	$\left[\mathbf{S}_{xy}=\right] = \underline{1818}$	B1					
(b)	$b = \frac{"1818"}{1754} [=1.036  \underline{\text{or}}  \frac{909}{877}] $ <b>ALT</b>	M1	(1)				
	$c = -"1.036" \times \frac{5}{8}$ $\underline{\text{or}}  \overline{f} = 80 \times \frac{5}{8} + 3500$		M1				
	$= -0.6478 \qquad \left[\begin{array}{cc} \underline{\text{or}} & \frac{4545}{7016} \end{array}\right] \qquad \qquad \underline{\text{or}}  \overline{h} = 4500 \text{ and } \overline{f} = 3550$		A1				
	y = 1.04x - 0.6478 or eqn of form $h = + 1.04f$	A1ft					
	$\frac{h-4500}{80} = "1.036" \times \frac{f-3500}{80} - 0.6479  \underline{\text{or } 4500 - "1.04" \times 3550} = (820.467)$	dM1					
	h = 820 + 1.04 f	A1					
(c)	On average for every <u>increase in area of 1</u> (m <sup>2</sup> ) the annual heating <u>bill increases</u> by approximately (\$) 1.04	B1ft	(6)				
	The cost of heating is (\$) 820 even if there is no floor space (no building)						
	or the "standing charge" / "base rate" etc is (\$) 820	B1ft	(2)				
(d)	"820.46" + "1.036"×4600	M1	(2)				
	= (\$) 5588.31  ans in range  (5560-5610)						
		Tota	l 11				
	Notes						
(b)	1 <sup>st</sup> M1 for use of $\frac{S_{xy}}{S_{xx}}$ ft their $S_{xy}$ (allow correct use of $S_{fh}$ etc.)						
	$2^{\text{nd}} \text{ M1 for } c = -(\text{their } b) \times \frac{5}{8}$ or <b>ALT</b> for a correct expression for $\overline{f}$						
	1 <sup>st</sup> A1 awrt $-0.648$ or ALT for correct values for both $\overline{h}$ and $\overline{f}$						
	2 <sup>nd</sup> A1ft for equ'n in the form $y = c + bx$ with their $c$ and $b = \text{awrt } 1.04$ (dep on 1 <sup>st</sup> M1 only) or ALT for $h = \dots + (\text{awrt } 1.04)f$ [ignore any intercept]						
	$3^{\text{rd}}$ dM1 (dep on $2^{\text{nd}}$ M1) for substituting $\frac{h-4500}{80}$ and $\frac{f-3500}{80}$ into their regression lin	e of y o	n x				
	or ALT for correct method for intercept in $h, f$ equation – ft their 1.04 $3^{rd}$ A1 for $h = awrt 820 + awrt 1.04 f$ [Do <b>not</b> allow fractions for this final mark]						
(c) (i)	Must see correct words used, not just letters f and h  B1ft for correct interpretation need: "increase of area by 1" and "increase in bill by "1.04""  Can be other words giving same idea but must see their 1.04 (can ignore units)						
(ii)	B1ft for a suitable explanation e.g. "cost if area is zero"  Must see "their 820" (which must be > 0) but can ignore units.  Accept reasonable alternatives to "standing charge"						
(d)	M1 for substituting 4600 into their regress' line of $h$ on $f$ (or use of $x = 13.75$ in $y$ , A1 allow answers in range 5580 - 5610	x equat	tion)				

<b>Question</b> <b>Number</b>	Scheme						
2(a)	$10 \times 7.8 \div 1.2 / 10 \times 7.8 \times \frac{5}{6} / \frac{1}{6} \times 10 \times 39$ $5 \times 3.6 \div 1.2 / 5 \times 3.6 $	$\frac{5}{6} / \frac{1}{6} \times$	5×18	M1			
	$\begin{array}{c} 6 & 6 \\ \hline \text{(Time 45-55 freq = ) } \underline{65} \\ \hline 260 - "65 + 180" = \underline{15} \\ \hline \end{array} \qquad \begin{array}{c} \text{(Time 55-60 freq = ) } \underline{65} \\ \hline 260 - "15 + 180" = \underline{65} \\ \hline \end{array}$	freq =) <u>1</u>	5	A1			
	260 - 65 + 180 = 15 $260 - 5 + 180 = 6$	<u>55</u>		B1ft			
					(3)		
(b)(i)	$\left[ \text{Mean} = \frac{11087.5}{260} \right] = 42.644$	av	vrt <u><b>42.6</b></u>	B1			
					(1)		
(ii)	Standard deviation = $\sqrt{\frac{505718.75}{260} - \left(\frac{11087.5}{260}\right)^2} = 11.249(s = 11)$	.27) a	wrt <u>11.2</u>	M1 A1			
	130 20 (165 130)				(2)		
(c)	Median = $(30)+15 \times \frac{130-20}{145}$ or $(45)-15 \times \frac{(165-130)}{145}$			M1			
	= 41.37	9 a	wrt <b>41.4</b>	A1			
					(2)		
(d)	Positive (skew) since the median is less than the mean			B1			
	or Positive (skew) since the histogram has a "tail" on the right		et to 2af		(1)		
	(Allow use of quartiles if $Q_1 = [34.65]$ and $Q_3 = [49.61]$ as	re correc	et to 281)		(1)		
(e)	Number of people = $\frac{6}{15} \times 145 + 20$ [= 78]			M1			
	Probability being less than 36 seconds = $\frac{78}{260}$ = 0.3 o.e.						
	200						
	$\left  \left( \frac{"78"}{260} \right) \times \left( \frac{"77"}{259} \right) \times \left( \frac{"76"}{258} \right); = \frac{209}{7955} \text{ or } 0.02627 \right $	awrt <u><b>0.0</b>2</u>	<u> 263</u>	M1;A1	1		
				Total	(4)		
	Notes						
(a)	Notes  M1 for a correct expression for one frequency  Look in ta						
()	A1 for 65 or 15		If table an				
	B1 for 15 or 65 ft one of their incorrect frequency or their "180" disagree tall						
(b)(i)	B1 for awrt 42.6 [Beware use of units e.g. 42.6s which looks like 42.65] (Allow $\frac{4435}{104}$ )						
(ii)							
(11)	M1 ft their mean. Must have the square root. [Allow use of their $\Sigma ft^2 > 300\ 000\ here$ ] A1 for awrt 11.2 [but allow 11.25] (allow $s = 11.3$ ) [Answer only 2/2]						
NB	[Beware correct formula with mean = 42.64 gives 11.265 = 11.3 (3sf) but scores M1A0]						
(a)							
(c)	M1 for correct use of linear interpolation to find the median ignore the end points (may be implied by correct answer). NB may work up or down and allow use of 130.5						
	A1 for awrt 41.4 (Use of 130.5 gives 41.43) [Again bewar						
				-			
(d)	B1 positive (skew) with either reason[No ft for –ve skew if $Q_2$	> mean	].				
. ,	Ignore use of mode and condone "positive correlation"		• _				
	If $ Q_2 - \overline{t}  < 1$ allow mean close to median so no skew or s	ymmetr	ic.				
(e)	1 <sup>st</sup> M1 for a correct method for finding the number of people.	[Correc	t expressio	n or 781			
	1 <sup>st</sup> A1 for the correct probability of 0.3 or exact equivalent	_	-	_	•		
	2 <sup>nd</sup> M1 for use of their probability without replacement (cond						
	Score this mark for $p^3$ where $p =$ their 0.3 from any me	thod e.g	g. use of no	ormal et	С		
	2 <sup>nd</sup> A1 for awrt 0.0263						

Question Number	Scheme					
3(a)	$P(X < 40) = P(Z < \frac{40 - 42}{5}) = P(Z < -0.4)$	M1				
	=1-0.6554	M1				
	= 0.3446 awrt <u><b>0.345</b></u>	A1				
(b)	P(Qualify) = $1 - ("0.3446")^3$ or $(1 - "0.3446") + ("0.3446")(1 - "0.3446") + ("0.3446")^2(1 - "0.3446")$ [ $q = 0.9590$ full cale: $0.9590867$ ]					
	$P(X > 45) = P(Z > \frac{45-42}{5}) = P(Z > 0.6)$	M1				
	= 1 - 0.7257 or $0.2743$ allow $1 - awrt  0.726$ or awrt $0.274$	A1				
	$P(X > 45 \text{ on 3rd throw }   \text{ in final}) = \frac{"0.3446"^2 \times "0.2743"}{"0.959"}$	dM1				
	$= \frac{"0.0326"}{"0.9590"}  \text{(calc: } 0.033952\text{)}$					
	= awrt <b>0.034</b>	A1				
		(5)				
	NT 4	Total 8				
(a)	Notes 40-42					
(a)	1 <sup>st</sup> M1 for standardising with 40, 42 and 5. Allow $\pm \frac{40-42}{5}$					
	$2^{\text{nd}} \text{ M1}$ for $1-p$ (where $p > 0.5$ ) A1 awrt 0.345 (NB Calc gives 0.3445783)					
(b)	1 <sup>st</sup> M1 for identifying <u>all</u> the cases to qualify with correct ft probabilities					
	2 <sup>nd</sup> M1 for an attempt standardise with 45, 42 and 5 ie $\pm \frac{45-42}{5}$					
	Use $\mu = 40$ Using $\mu = 40$ to find P(X > 45) will give 0.1587 and can award B1	if we see this				
SC B1	used in an expression of the form $("0.3446")^2 \times 0.1587$ . Score on epen as $2^{nd}$ M0 $1^{st}$ A1					
	They may also be able to score 1st M1 and 3rd M1 as well					
	1 <sup>st</sup> A1 for 1 – awrt 0.726 or awrt 0.274 (sight of either of these scores 2 <sup>nd</sup> M1 and 1 <sup>st</sup> A1)					
	May be part of an expression such as $("0.3446")^2 \times 0.2743$					
	3 <sup>rd</sup> dM1 <b>dep on 1<sup>st</sup> M1</b> for $\frac{\text{("their 0.3446")}^2 \times \text{"their 0.2743"}}{\text{their } q}$					
	providing the numerator < denominator and num and denom are both	h probs				
	2 <sup>nd</sup> A1 for awrt 0.034 (NB numerator is awrt 0.033 so <u>must</u> be awrt 0.034)					

Question Number	Scheme					
4(a)	If any part, especially (a) or (b), is missing send to review 0.72	B1 (1)				
(b)	C (is most likely to be the 100 metre junior champion)	B1 (1)				
(c) (i)	$S_{xx} = 3445.26 - \frac{164.4^2}{8} \left[ = 66.84 \text{ or } \frac{1671}{25} \right]$	M1				
	$r = \frac{60.85}{\sqrt{"66.84" \times 67.52}}$	M1				
	= $0.90578$ awrt $0.906$	A1				
(ii)	The faster boys are in the 100 metres, the faster they are in the 200 metres	B1 (3)				
		Total 6				
	Notes					
(c) (i)	1 <sup>st</sup> M1 for a correct expression, allow the use of $n = 10$ , ie $S_{xx} = 3445.26 - \frac{164.4^2}{10} [= 742.524]$					
	Condone one slip e.g. 3445.6 instead of 3445.26 etc					
	$2^{\text{nd}}$ M1 for an attempt at a correct formula for $r$ using $S_{yy}$ and $S_{xy}$ and their $S_{xx}$					
	Condone one slip e.g. 60.84 or 66.48 miscopied for 66.84 A1 for awrt 0.906					
	NB Use of $S_{xx} = 742.524$ gives $r = 0.272$ and can score M1M1A0 provided expressions					
	are seen for $S_{xx}$ and $r$					
(ii)	NB on epen this is an A1 mark but we are treating it as a B1 It does not depend on	n M1 in (c)(i)				
	B1 allow equivalent statements e.g. on average boys that are faster/slower in the 100 metres are also faster/slower in the 200 metres  Comment must be: (1) a comparison of <u>time</u> e.g. faster, quicker, slower etc (not "higher")  and (2) mention <u>100 metres</u> or <u>200 metres</u> (and imply the other)					

Question Number	Scheme					
5(a)(i)	$P(D) = \frac{200}{320} = \frac{5}{8}$ (or exact equivalent e.g. 0.625)	B1				
(ii)	$P(D \cap X') = \frac{1}{2}  \text{oe}$	(1) B1 (1)				
(iii)	$P(D' \cup Z') = \frac{320 - 88}{320}; = \frac{29}{40} = 0.725$ o.e.	M1; A1				
(b)	$P(Z \mid D) = \frac{\frac{88}{320}}{\frac{200}{320}}; = \frac{88}{200} \text{ or } \frac{11}{25} \text{ or } 0.44$ oe	(2) M1; A1				
(c)	X and $Y$ or $X$ and $Z$ or $Y$ and $Z$ (Allow $X$ , $Y$ etc)	B1 (2) (1)				
(d)	$P(D) \times P(X) = 0.625 \times 0.2  \underline{\text{or}}  \text{"} \frac{5}{8} \text{"} \times \frac{64}{320} = 0.125 = P(D \cap X) \text{ or}$ $P(D X) = \frac{40}{64} = 0.625 = P(D)  \underline{\text{or}}  P(X D) = \frac{40}{200} = \frac{1}{5} = P(X) = \frac{24 + 40}{320}$	M1				
	So yes they are independent	A1 (2)				
(e)(i)	A house that does not have a driveway but has exactly two cars	B1 (2)				
(ii)	A house that has a driveway  (with) fewer than two cars (oe)	B1 B1 (2)				
	Notes	Total 12				
(a)(iii)	If any part(s) of this question are missing please send to review  M1 for identifying the correct 7 values: 24, 40, 35, 37, 32, 44 and 20 or sum of 232  A1 for $\frac{29}{40}$ or exact equivalent e.g. 0.725					
(b)	M1 for a ratio of probabilities with numerator of $\frac{88}{320}$ and denominator of their (a)(i) A1 for 0.44 or exact equivalent					
(c)	B1 for at least one correct pair and no incorrect ones. Do not allow e.g. $P(Y \cap Z) = 0$ etc					
(d)	M1 for a correct test with all required probs (labels and values) stated or implied - ft P(D) A1 for a correct conclusion – allow "yes they are" but must be events not probabilities e.g. a conclusion that P(D) and P(X) are independent is A0					
(e)(ii)	1 <sup>st</sup> B1 for a house that has a driveway 2 <sup>nd</sup> B1 for fewer than two cars (Allow 0 or 1 but must not include both no car and 1 car) e.g. "has a driveway with 1 car and has a driveway with no car" is B1B0 but "has a driveway with 1 car or has a driveway with no car" is B1B1					

Question Number	Scheme						
6 (a)	$\frac{3.968 - \mu}{\sigma} = -1.2816 \qquad \underline{\text{or}}  \frac{4.026 - \mu}{\sigma} = 1.0364$ $\mu - 1.2816\sigma = 3.968 \qquad \text{(Calc: } -1.28155156\text{)}$	M1A1A1					
	$\mu - 1.2816\sigma = 3.968$ (Calc: $-1.28155156$ )						
	$\mu + 1.0364\sigma = 4.026$ (Calc: 1.03643338)						
	$2.318\sigma = 0.058$	dM1					
	$\sigma = 0.0250$ $\mu = 4.00$ awrt <u>0.025 and 4</u>	A1					
<i>a</i> >		(5)					
<b>(b)</b>	$Q_3 = \text{awrt } 30.3 \text{ (calc: } 30.337) \text{ or } Q_3 - Q_1 = \text{awrt } 0.6 \text{ oe (calc: } 0.6744)$	B1					
	30.3+1.5("30.3"-29.7)[=31.2] or $29.7-1.5("30.3"-29.7)[=28.8]$	M1					
	$P(L > "31.2") = P\left(Z > \frac{"31.2" - 30}{0.5}\right) \text{ or } P(L < "28.8") = P\left(Z < \frac{"28.8" - 30}{0.5}\right)$	M1					
	= 0.0082						
	Probability it is an outlier = $2 \times 0.0082$	M1					
	= $0.0164$ answer in range (0.006~0.017)	A1					
		(5) Total 10					
	Notes	1 Utai 10					
(a)	1 <sup>st</sup> M1 for standardising with $\mu$ and $\sigma$ and forming an equation in $\mu$ and $\sigma$ w	z  > 1					
	1st A1 for one correct equation in any form with z value as given or better						
	2 <sup>nd</sup> A1 for a 2 <sup>nd</sup> correct equation in any form allow 2dp or better for the z value						
	2 <sup>nd</sup> dM1 (dep on 1 <sup>st</sup> M1) for correct method to solve* their 2 linear, simultaneous equations.  Can be implied by both correct answers.						
	[*Must see correct substitution or correct addition/subtraction of all 3 ter	-					
	$2^{\text{nd}}$ A1 for both $\mu$ = awrt 4 and $\sigma$ = awrt 0.025 [Check it follows from their working.] NB Could score M1A0A1M1A1 or M1A1A0M1A1 here						
(b)	B1 awrt 30.3 or IQR = awrt 0.6 or awrt 0.67						
(~)	$1^{st}$ M1 correct method for finding 1 outlier limit – ft their $Q_3$ or their IQR						
	$2^{\text{nd}}$ M1 standardising with their limit, 30 and 0.5 allow $\pm$ leading to a probability of $10^{-1}$ M1 standardising with their limit, 30 and 0.5 allow $\pm$ leading to a probability of $10^{-1}$ M1 standardising with their limit, 30 and 0.5 allow $\pm$ leading to a probability of $10^{-1}$ M1 standardising with their limit, 30 and 0.5 allow $\pm$ leading to a probability of $10^{-1}$ M1 standardising with their limit, 30 and 0.5 allow $\pm$ leading to a probability of $10^{-1}$ M1 standardising with their limit, 30 and 0.5 allow $\pm$ leading to a probability of $10^{-1}$ M1 standardising with their limit, 30 and 0.5 allow $\pm$ leading to a probability of $10^{-1}$ M1 standardising with their limit, 30 and 0.5 allow $\pm$ leading to a probability of $10^{-1}$ M1 standardising with their limit, 30 and 0.5 allow $\pm$ leading to a probability of $10^{-1}$ M1 standardising with their limit, 30 and 0.5 allow $\pm$ leading to a probability of $10^{-1}$ M1 standardising with the $10^{-1}$ M1 standardis						
	Can be implied by a correct probability statement e.g. $P(L < 28.8) = 0.0$ 3 <sup>rd</sup> M1 multiplying their probability by 2 (or adding their two probs both < 0.05						
	A1 (dependent on all 3 M marks) for an answer in the range $0.006 \sim 0.017$	,					
Calc	Use of full calc values: If they use a calculator the lower limit is $28.651$ uppe $31.3489$ and probability comes to $2 \times 0.00348835 = av$						

Question Number	Scheme						Mar	ks
7(a)(i)	2a + 2b = 0.5	5 oe; $5a+1$	1b = 1.55 oe	(any unsimp	olified form)		B1; B1	
	e.g. $5a + 1$	1(0.25-a) =		olies $6a = 1.2$	2 oe]		M1	
( <b>::</b> )		a =	=0.2*	<i>5</i>			A1 cso	
(ii)			$b = \underline{0.0}$	<u> </u>			B1	(5)
(b)	$\left[ E(X^2) = \right] 1^2$	$\times 0.35 + 2^2 \times 0$	$.2 + 3^2 \times 0.2 +$	$4^2 \times 0.15 + 5^2$	$\times 0.05 + 6^2 \times 0$	0.05 [=8.4]	M1	(5)
	Var(X) = "8.4	$-2.5^2 = [2.1]$	5]				M1	
	Var (4X+3)	= 16  Var  (X)					M1	
			= 34.4				A1	(4)
(c)	Expected pro	of $it = 2.5 \times 60$	or 25×80	1-25×20 oe			M1	(4)
(c)	Expected pro		ts) or \$1.50 p				A1	
		\	, 1					(2)
(d)	Let W be the	profit, in cen	ts per custom					
	У	1	2	3	5	6		
	W	60	120	180	220	280	B1; B1	
	P(Y=y)	$\frac{3}{40}$	$\frac{4}{40}$	$\frac{3}{40}$	$\frac{22}{40}$	$\frac{8}{40}$		
	$\left[ \mathrm{E}(W) \right] = \frac{1}{40} \left($	$(60\times3+120\times$	$4 + 180 \times 3 +$	$220 \times 22 + 28$	$80 \times 8$		M1	
	F3.6 1 *	1 11	no <i>(7</i> do o	= D1D		er customer	A1	(4)
	[May work 11	n dollars e.g.	\$2.67 or \$2.2	7 scores B1B	OM1A0 and S	\$2.07 4/4]	Total	(4)
				Notes			Total	10
			,	)(i) and (a)(ii	i) together			
(a)(i)		correct equations correct equations correct equations are considered as the correct eq						
		_			ng to a linear	equation in a	or <i>b</i> only	r
	M1 dep on at least B1 for <u>eliminating</u> $a$ or $b$ leading to a linear equation in $a$ or $b$ only A1cso for $a = 0.2$ <u>correctly</u> shown. Dependent on M1 scored and two correct equations seen.							
(ii)	B1 for $b = 0.05$ (or exact equivalent) Independent of other marks in (a)(i). <b>Look by table</b>						able	
(b)	1 <sup>st</sup> M1 for an	attempt at E(	$(X^2)$ with at 1	east 3 correct	products. Al	low ft of their	r value of	h
(8)		ession even if						
		se of $E(X^2) -  $						
		eeing 16 Var(2			arly stated Va	$\mathbf{r}(X) = \mathbf{E}(X^2) =$	= 8.4]	
	A1 for 34.	4 or exact equ	iivaient e.g.	5				
(c)		60 or any oth	•	-	• `	allow $2.5 \times 0$ .	6)	
	Al for 150 c	or accept \$1.5	(working w	ith dollars rec	quires units)			
(d)	1 <sup>st</sup> B1 for 1 <sup>st</sup>	t 3 values of V	V(can allow	in an express	fon for $E(W)$			ust
		st 2 values for			_	be in part (	d)	
		tempt at E(W)				ft products		
	_	ndent on at le	ast one of the	e first two B1	marks			
ALT	A1 for 207 Use of E(Y)	[= 4.45] with	at least 3 cor	rect products	seen and E(V	V = pE(Y) - p	g	
. M. J.		= 60 and 2 <sup>nd</sup> I		_		, , p=(1) (	7	
		) expression of	``	,		ne B mark sco	red	
	1.11 101 L(//	, onpression c	- mo form ac	una dep	511 at 10a5t 01.			

